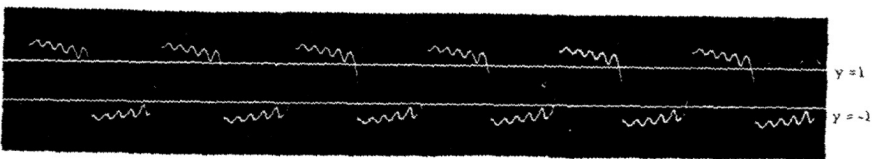


While they are on  $C_2$ ,  $\Gamma_1$  and  $\Gamma_2$  are walking a tight-rope. The unstable periodic  $\Gamma$  behave in this way just before each of their shoot-throughs, which are many when the period of  $\Gamma$  is long, and they slice or pull differently each time.

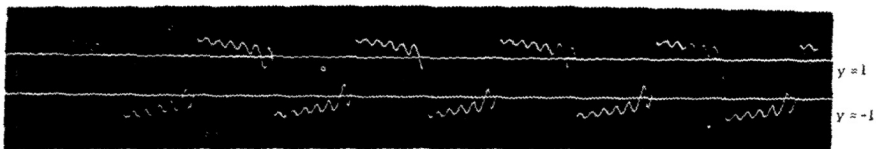
I have now to report a very surprising development, an electronic calculation discovery by A. Warren,<sup>6</sup> under the supervision of H. P. F. Swinnerton-Dyer. His  $k$  is 5, which is a good bet for being "large." For a certain  $\underline{b}$  he finds two stable periods of orders 11 and 25, completely breaking the  $2n \pm 1$  rule. Photographs of these are given in Fig. 3.

We can interpret the photographs in terms of the "k large" behavior we have been describing, at least up to a point. We must, of course, regard  $\underline{b}$  as being in a transitional interval, and  $\Gamma_{11}$  as the stable  $\Gamma$  we said above might be expected. ( $\Gamma_{11}$  does not make any dips, but this is normal in part of the range of  $\underline{b}$ .)

The photograph of  $\Gamma_{25}$  reveals that it follows part of a  $C_2$  at A, B, and C (pulling at B and invertedly slicing at A and C). The surprise, of course, is that, its three "exponentially" dangerous walks notwithstanding, it succeeds in being stable. After this there seems no reason why, for a single  $\underline{b}$  and different initial conditions, slices and pulls could not happen in a variety of ways, in which case there could be 3 or more different stable periods.



Stable trajectory - sub-harmonic order 11



Stable trajectory - sub-harmonic order 25

Figure 3