



## BOSTON UNIVERSITY STATISTICS AND PROBABILITY SEMINAR SERIES

### Invariance principle for homogeneous sums: universality of Wiener chaos

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Mathematics and Computer Science (MCS) Building, Room 149

111 Cummington Street, Boston

Tea and Cookies at 3:30pm in MCS 153

**Abstract:** Let  $X_1, X_2, \dots$  denote any sequence of centered independent random variables with unitary variance, and verifying moreover that there exists  $q \geq 2$  such that the  $q$ th (absolute) moment of  $X_i$  is uniformly bounded. Fix an integer  $d \geq 1$ , and let  $Q_d(n, X)$  denote the sum, for  $i_1, \dots, i_d$  from 1 to  $n$ , of  $f_n(i_1, \dots, i_d) X_{i_1} \dots X_{i_d}$ . Here,  $f_n : 1, \dots, n^d \rightarrow \mathbb{R}$  denotes a symmetric function, vanishing on diagonals and normalized in such a way that  $d! |f_n|^2 = 1$ . During my talk, I will show the following invariance principle: “If  $Q_d(n, G)$  converges in law to  $N(0,1)$  then  $Q_d(n, X)$  converges in law to  $N(0,1)$  for all sequences  $X$  as above.”

This talk is based on a work in progress with Giovanni Peccati (Paris Ovest) and Gesine Reinert (Oxford)

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